Groups of two galaxies in SDSS: implications of colours on star formation quenching time-scales

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ABSTRACT

Using hybrid N-body/semi-analytic substructure simulations, we have devised a method to select galaxies that are isolated in their dark matter halo ($N = 1$ systems) and galaxies that reside in a group of exactly two ($N = 2$ systems). Our $N = 2$ systems are widely-separated with comoving projected separations up to $\sim 200\,h^{-1}$ kpc, where close galaxy-galaxy interactions are not the dominant physical process at work. We apply our selection criteria to two volume-limited sample of galaxies from the NYU Value-Added Galaxy Catalogue based on SDSS DR6 with $M_r - 5\log_{10} h \leq -19$ and -20. The effects of a simple change in environment on star formation properties are isolated by correcting the populations for contamination by systems in other environments and by eliminating differences in stellar mass. For satellite galaxies in a group of two, we find a red excess of 0.15 ± 0.01 and 0.14 ± 0.01 for the -19 and -20 samples, respectively, relative to isolated galaxies of the same stellar mass. A simple galaxy formation model that assumes (1) $N = 1$ galaxies are the progenitors of $N = 2$ galaxies in a statistical sense and (2) cold gas is instantaneously and completely removed from an infalling satellite galaxy immediately upon accretion into another halo predicts a red excess of 0.62 ± 0.01 and 0.54 ± 0.01 for the -19 and -20 samples, respectively. Thus, an immediate-rapid star formation quenching scenario is inconsistent with these observations. A delayed-then-rapid star formation quenching scenario with a delay time of 3.3 and 3.7 Gyr for the -19 and -20 samples, respectively, yields a red excess prediction that agrees with the observations. The observations also reveal that central $N = 2$ populations have a slight blue excess of 0.06 ± 0.02 and 0.02 ± 0.01 for the -19 and -20 samples, respectively, relative to $N = 1$ populations of the same stellar mass. Additionally, we find red satellites galaxies slightly tend to pair with red centrals while blue satellites slightly tend to pair with blue centrals demonstrating galactic conformity is somewhat present even in groups of two. Taken together, our results demonstrate that environmental processes strongly influence even the sparest groups of luminous galaxies and in-depth studies of these simple systems are an essential step towards understanding galaxy evolution in general.

Key words: galaxies: evolution – galaxies: haloes – galaxies: interactions – galaxies: clusters: general – galaxies: statistics –methods: statistical

1 INTRODUCTION

The overall galaxy population out to $z \sim 1$ divides into two distinct types: early-type and late-type galaxies (e.g. Hubble 1926; Strateva et al. 2001; Blanton et al. 2003; Bell et al. 2004; Tanaka et al. 2005; Baldry et al. 2006; Cooper et al.

2006). Although the exact definition of the two types varies in the literature, late-type galaxies tend to have spiral morphology and are blue due to a highly active recent star formation history. On the other hand, early-type galaxies tend to have elliptical morphology and are red due to a lack of recent star formation.

From observations of galaxies at different redshifts we know that the stellar mass on the red sequence has increased

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by a factor of 2 since $z \sim 1$ (Bell et al. 2004). Along with numerous other observations this suggests that physical processes have been at work since $z \sim 1$ transforming late-type galaxies into early-type galaxies. Young clusters at $z \sim 0.5$ contain many spiral galaxies and very few S0 galaxies while local clusters have a ratio of S0 to elliptical galaxies greater by a factor of 5 and a similar decrease in the number of spiral galaxies (Dressler et al. 1997). Also, the galaxy luminosity function density normalisation for blue galaxies has remained essentially constant, while it has doubled (~ 0.5 dex) for red galaxies since $z \sim 1$ (Faber et al. 2007).

In the current Λ Cold Dark Matter (ΛCDM) picture of structure formation (Blumenthal et al. 1984), dark matter collapses into haloes, trapping baryonic matter at early epochs. In galaxy-size dark matter haloes, cool baryonic material falls in while retaining angular momentum to form luminous spiral galaxies. Galaxy groups and cluster form hierarchically when smaller dark matter haloes combine to form larger dark matter haloes (White & Rees 1978; Kauffmann et al. 1993; Cole et al. 2000). This picture motivates a number of physical processes that may alter a galaxy's morphology and/or quench star formation through the removal and/or depletion of the galaxy's gas reservoirs bring about a late-type to early-type transition.

The merger of two dark matter haloes will eventually result in the merger of their central galaxies as a result of dynamical friction (Chandrasekhar 1943), potentially permanently altering both morphology and star formation rates. Even before the central galaxies merge they are altered by interactions, especially if a smaller dark matter halo has fallen into a large group or cluster-size halo with a dense intracluster medium and many other un-merged satellite galaxies. These environmental interactions broadly fall into two categories: gravitational tides and gas collisions.

Tidal interactions due to the main cluster potential on the infalling satellite galaxy may strip it of stars and/or gas leading to changes in morphology and/or star formation rates (Fujita 1998). Tidal interactions from a close galaxy pass also triggers inflows of gas into the centres of galaxies, inducing short-lived starburst (Mihos & Hernquist 1996). Once the galaxy has exhausted its supply of gas, it will quickly redden unless it can replenish its supply of gas. One mechanism that can prevent the accretion of new gas is feedback from an active galactic nucleus (AGN, e.g. Di Matteo et al. 2005; Bower et al. 2006; Croton et al. 2006). The energy released by an AGN generates an outflow of gas preventing accretion, which may transform a blue, active galaxy into a red and dead galaxy although the details remain unclear. In addition to tidal interactions with the main cluster potential, a satellite galaxy will tidally interact with the other un-merged satellites within the halo. All these close high-speed encounters, which occur approximately once per Gyr, are referred to as galaxy harassment (e.g Farouki & Shapiro 1981; Moore et al. 1996) and can transform small disc galaxies into dwarf elliptical or dwarf spheroidal galaxies.

The collisional interaction of the hot gaseous intracluster medium of the larger host halo with the cold disc gas and/or the hot halo gas reservoir of the smaller halo's central galaxy may rapidly strip it of either gas reservoir in a process known as ram-pressure stripping (Gunn & Gott 1972). High-resolution hydrodynamical simulations have shown that ram-pressure stripping can remove the entire H I gas content within 100 Myr from a luminous spiral galaxy like the Milky Way leading to redder colours from a lack of star formation (Quilis et al. 2000). However, the morphology of the original stellar disc is unaffected by ram-pressure stripping, which results in the spiral galaxy being transformed into an S0-like galaxy. If only the hot halo gas reservoir of a satellite galaxy, which replenishes the cold disc gas that is converted into stars, is removed by ram-pressure stripping or tides, the result is a gradual decline of star formation because it continues until the cold disc gas is exhausted. To distinguish it from the removal of cold disc gas, which results in a rapid truncation in star formation, this is usually referred to as strangulation (Larson et al. 1980; Balogh et al. 2000). Strangulation should result in a similar transformation of a spiral into an S0-like galaxy, except on a different time-scale than ram-pressure stripping of cold disc gas.

If an infalling satellite galaxy is able to withstand the environmental interactions discussed above, a major or minor merger with another satellite galaxy (Makino & Hut 1997) or the central galaxy of the host halo may result in a merger remnant with drastically different morphology and/or star formation rate than either of the two progenitors. The severity of the change is highly dependent on the mass ratio of the two progenitors. If a spiral galaxy is involved in a minor merger, a temporary starbursts may be triggered from the compression of colliding cold gas and the disc morphology may be affected. However, morphology is definitely altered when two spiral galaxies with similar masses experience a major merger. In this case, the merger remnant may have spheroidal or elliptical morphology (Toomre & Toomre 1972). If the gas reservoirs depleted in the triggered starburst are not replenished because of say AGN feedback, the major merger will have transformed two active spiral galaxies into a red and dead spheroidal or elliptical galaxy.

A fundamental goal of astrophysics is a comprehensive understanding of the role mergers and environmental processes play in building and evolving the diverse set of galaxies that exist in the Universe. Studies of galaxy evolution span a range of environments including isolated galaxies (e.g. Allam et al. 2005; Tollerud et al. 2011; Edman et al. 2012), close pairs (e.g. Sol Alonso et al. 2006; Barton et al. 2007; Ellison et al. 2008, 2010, 2011; Patton et al. 2011; Scudder et al. 2012), groups (e.g. Balogh et al. 2004; Gerke et al. 2005; Weinmann et al. 2006a,b, 2009; Kang & van den Bosch 2008; van den Bosch et al. 2008; Kimm et al. 2009; Skibba 2009; Pasquali et al. 2010; McGee et al. 2011; Wetzel et al. 2012) and clusters (e.g. Balogh et al. 2002; Rines et al. 2005; Tanaka et al. 2005; von der Linden et al. 2007, 2010).

However, a general understanding of galaxy evolution requires an understanding of the simplest galactic environments, which are isolated galaxies residing alone in their dark matter halo ($N = 1$ system) and systems of two galaxies sharing a dark matter halo ($N = 2$ system), which includes galaxy pairs and groups of two galaxies. Isolated galaxies are the least ambiguous and are the most controlled environments in which to study galaxy evolution. In general, more isolated galaxies are more likely to have later-type morphologies, higher star formation rates and bluer colours (e.g. Postman & Geller 1984; Blanton et al. 2005b).

In this paper, we present an preliminary study of the difference between the properties of isolated galaxies and groups of two galaxies, the simplest group environment and the simplest change in galactic environment. We use a cosmological model consisting of a hybrid N-body/semi-analytic substructure simulation to understand and remove the contamination from galaxies in other environments allowing us to study the full, uncontaminated distributions of star-forming and morphological parameters instead of just the average trend. This approach differs from previous studies that utilise group-finding algorithms (e.g. Yang et al. 2005), which have difficulty accounting for interloper systems. This technique has been used by Barton et al. (2007) to study close galaxy pairs, where galaxy-galaxy interactions are dominant. The dominant environmental process(es) at work in groups is still an open question and a very active field of research (e.g. Weinmann et al. 2006a,b, 2009; Kang & van den Bosch 2008; van den Bosch et al. 2008; Kimm et al. 2009; Skibba 2009; Pasquali et al. 2010; McGee et al. 2009, 2011; Wetzel et al. 2012). The low-mass haloes of groups of two galaxies examined in this paper represent the minimum mass where the dominant group environmental process begins to occur (McGee et al. 2009). Investigations of groups of two aim to shed light on the subject and they afford a number of other advantages including the fact that ΛCDM makes robust predictions for the merger histories of $N = 2$ systems (e.g. Stewart et al. 2008) and such systems are routinely studied in high-resolution hydrodynamical simulations (e.g. Cox et al. 2006) allowing for a direct comparison yielding insights assumptions and treatment of interactions, star formation and feedback. As such, groups of two galaxies are a valuable vehicle for the study of galaxy evolution and will contribute toward a comprehensive understanding of the topic in general.

The layout of this paper is as follows. In Section 2 we discuss the cosmological model. Section 3 describes the selection of populations of isolated galaxies and groups of two galaxies starting with an analysis of the environments of the simulated galaxies in our cosmological model. Section 3.1 contains a description of the observational data set resulting from the application of our selection criteria to galaxies from the Sloan Digital Sky Survey (SDSS, York et al. 2000). Our method for correcting for the contamination by galaxies in other environments is explained in Section 3.2. We look at the stellar mass distribution of isolated galaxies and groups of two galaxies and discuss our Monte Carlo mass resampling technique for producing populations of the same stellar mass in Section 3.3. Results are discussed in Section 4. In Section 4.1 we concern ourselves with the difference in colour between isolated galaxies and groups of two galaxies. In Section 4.2 we discuss the red excess of satellite galaxies in a group of two and its implications on star formation quenching time-scales. The blue excess of central galaxies in a group of two and its origins are explored in Section 4.3 followed by a conclusion in Section 5.

2 COSMOLOGICAL MODEL

The main components of our cosmological model include a large N-body simulation of cold dark matter halo formation and a semi-analytic cold dark matter substructure model

(Zentner & Bullock 2003; Zentner et al. 2005). This model has been previously discussed in Berrier et al. (2006) and Barton et al. (2007) and we provide a brief review here.

The model uses N-body simulations to characterise the spatial and mass distributions of "host" dark matter haloes. By definition, the centres of host haloes do not lie within the virial radius of other haloes. Our N-body simulation follows the evolution of 512^3 dark matter particles until $z = 0$ in a comoving box of volume $120\,h^{-1}\,\mathrm{Mpc}^3$ using the Adaptive Refinement Tree code of Kravtsov et al. (1997) in a standard ΛCDM cosmology with $\Omega_m = 0.3$, $\Omega_\Lambda = 0.7$, $h = 0.7$, and $\sigma_8 = 0.9$. The implied particle mass is $m_p \simeq 1.1 \times 10^9\,h^{-1}\,M_\odot$ and the simulation grid was refined down to a minimum cell size of $h_{\mathrm{peak}} \simeq 1.8\,h^{-1}\,\mathrm{kpc}$ on a side. For more details regarding the N-body simulation see Zentner et al. (2005), Allgood et al. (2006) and Wechsler et al. (2006).

N-body simulations predict the substructure content of host haloes, but suffer from various numerical resolution limitations. Thus, we populate each host dark matter halo in the simulation volume with subhaloes using the semi-analytic substructure model of Zentner et al. (2005), which effectively has infinite resolution. We use the semi-analytic model randomly to generate four independently realised mass accretion histories using the stochastic method of Somerville & Kolatt (1999) for each host halo of mass M at redshift z in our simulation volume. Then, we determine the orbital evolution for each infalling subhalo in the potential of the host from accretion until $z = 0$, during which it loses mass and its maximum circular velocity decreases as its profile is heated by interactions. If the maximum circular velocity of a subhalo falls below $60\,\mathrm{km\,s^{-1}}$ at any time, it is removed to mimic the dissolution of the observable galaxy as a result of these interactions. Each mass accretion history results in a different subhalo population in the simulation volume. We interpret these realisations as four independent cosmological volumes with identical large-scale structure, but different small-scale structure. All four realisations will be used in the statistical analysis that follows.

We assume each subhalo in the simulation volume contains a luminous satellite galaxy and each host halo has a luminous central galaxy. For host haloes, we use the maximum circular velocity as a proxy for luminosity and assume a monotonic relationship between the two. For subhaloes, we use the maximum circular velocity at accretion (see Berrier et al. 2006). In other words, all haloes above a given cutoff V_{max} will correspond to a population of galaxies brighter than some absolute magnitude. By exploring the number density of haloes in the model as a function of V_{max}, we find that the number density of haloes with $V_{\mathrm{max}} \geq 140\,(196)\,\mathrm{km\,s^{-1}}$ matches the observed number density of SDSS Data Release 6 (SDSS DR6, Adelman-McCarthy et al. 2008) volume-limited samples with $M_r - 5\log_{10} h \leq -19\,(-20)$.

With this cosmological model we construct mock redshift surveys of galaxies from SDSS DR6. With these mock volume-limited redshift surveys we quantify the number of luminous galaxies that occupy every host halo in the simulation, N, an unobservable parameter that is a key measure of the environment of a galaxy. We analyse the correlation between N and observable measures of environment, such as
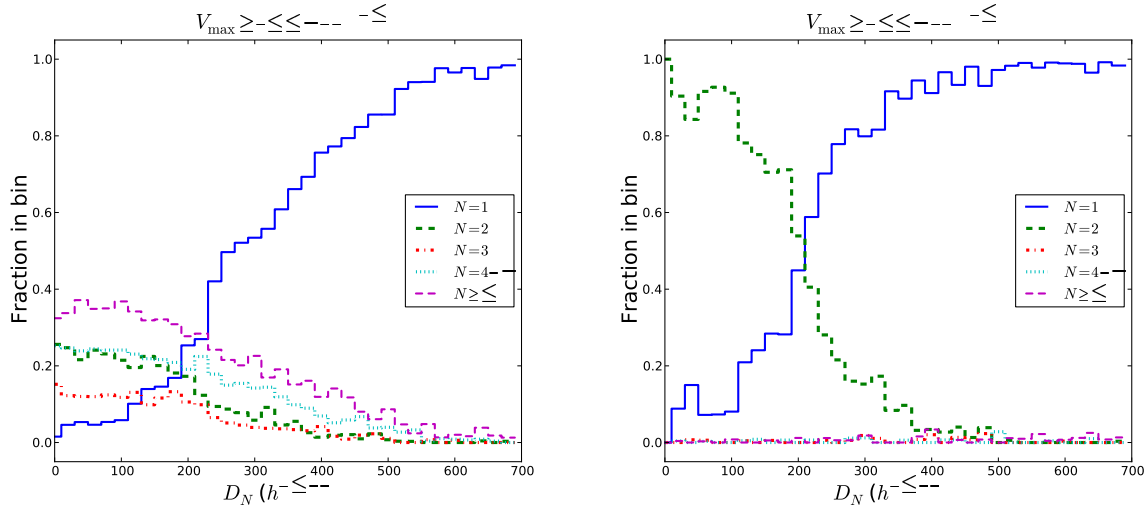
Figure 1. (Left) Fraction of simulated galaxies in our mock volume-limited redshift survey ($M_r - 5 \log_{10} h \leq -20$ or $V_{\max} \geq 196 \, \mathrm{km \, s^{-1}}$) that reside in a dark matter halo of a given multiplicity N, as a function of the comoving projected distance to their nearest neighbour, D_N. Each bin in D_N is normalised to 1. D_N alone cannot be used to define samples of galaxies in $N = 2$ systems from volume-limited redshift surveys. Galaxies with small D_N values are predominantly in haloes with a total of 9 or more galaxies. (Right) Fraction of simulated galaxies with exactly one neighbour within $700 \, h^{-1} \, \mathrm{kpc}$ ($N_{700} = 1$) that reside in a dark matter halo of a given multiplicity N, as a function of D_N. Very few galaxies with $N_{700} = 1$ reside in haloes with more than two galaxies. Galaxies with $N_{700} = 1$ and large values of D_N have a very high probability of being isolated in their halo and those with $N_{700} = 1$ and small values of D_N have a high probability of being in an isolated galaxy pair.

projected nearest neighbour distance. This analysis reveals selection criteria for defining relatively pure populations of isolated galaxies ($N = 1$ systems) and groups of two galaxies ($N = 2$ systems) from volume-limited redshift surveys and gives statistical information on other unobservables of these populations.

3   SELECTION CRITERIA FOR $N = 1$ AND $N = 2$ SYSTEMS

First, we analyse the environment of galaxies in our mock volume-limited redshift surveys in order to define selection criteria for isolated galaxies ($N = 1$) and groups of two galaxies ($N = 2$) in SDSS. Following Barton et al. (2007), for each "galaxy" (halo or subhalo with $V_{\max} \geq 140$ or $196 \, \mathrm{km \, s^{-1}}$) in our mock volume-limited sample, we compute D_N, the comoving projected distance to the galaxy's nearest neighbour within $\Delta V \leq 1000 \, \mathrm{km \, s^{-1}}$, using periodic boundary conditions to fully sample its environment when necessary. We also compute N_{700}, the total number of galaxies within a comoving projected distance of $700 \, h^{-1} \, \mathrm{kpc}$ within $\Delta V \leq 1000 \, \mathrm{km \, s^{-1}}$. Lastly, we measure N, the total number of galaxies that lie within the same host dark matter halo, which is unobservable in galaxy redshift surveys. Constraints on the observables D_N and N_{700} can identify galaxies in redshift surveys with a high probability of being in an $N = 1$ or $N = 2$ system, by applying them simultaneously to the data and the simulations.

Following Barton et al. (2007), but with a different $V_{\max}$ cutoff, Figure 1 (left) shows the fraction of galaxies with $V_{\max} \geq 196 \, \mathrm{km \, s^{-1}}$ in our mock volume-limited sample that reside in a halo of a given multiplicity N as a function of D_N. Galaxies that are relatively far from their nearest

neighbour are overwhelmingly in $N = 1$ systems. Galaxies that are relatively close to their nearest neighbour are predominantly in haloes with nine or more galaxies in the same dark matter halo. The results are qualitatively similar for $V_{\max} \geq 140 \, \mathrm{km \, s^{-1}}$. Thus, using D_N *alone* does not provide a sufficient means to select for $N = 2$ systems in volume-limited redshift surveys.

However, these systems can be selected using D_N and N_{700} together. Figure 1 (right) shows the fraction of galaxies in our mock volume-limited sample with $N_{700} = 1$ that reside in a halo of a given multiplicity N as a function of D_N. The figure shows that very few galaxies with $N_{700} = 1$ reside in haloes with $N > 2$. Moreover, galaxies with $N_{700} = 1$ and large values of D_N are in $N = 1$ haloes and those with small values of D_N reside almost exclusively in $N = 2$ haloes. Thus, we identify a population of galaxies with a high probability of residing in an $N = 2$ system can be defined by selecting galaxies from volume-limited redshift surveys with exactly one neighbour within a projected distance of $700 \, h^{-1} \, \mathrm{kpc}$ and D_N smaller than some maximum value. The purity and contamination by interlopers in the $N = 2$ sample may be determined from our cosmological model by quantifying the number of galaxies residing in $N = 1$, $N = 2$, and $N > 2$ haloes for a given maximum D_N.

We choose to focus on groups of two galaxies because we are interested in studying the effects of groups processes on galaxy properties in the simplest group environment; by choosing a large maximum D_N, our $N = 2$ sample will contain few close pairs that are likely to be strongly interacting. In fact, the cosmological model shows that for $D_N \leq 200 \, h^{-1} \, \mathrm{kpc}$, the fraction of $N = 2$ galaxies that have had a close pass within 50 or $30 \, h^{-1} \, \mathrm{kpc}$ within the last $0.5 \, \mathrm{Gyr}$ is ~ 11 and 4 per cent for the -19 sample and 9 and 3 per cent for the -20 sample. Table 1 lists the fraction of

Table 1. Sample definitions, sizes and purity. Symbol definitions are as follows: D_N - comoving projected distance to the nearest neighbour, N_{700} - number of neighbours within a comoving projected distance of $700 \, h^{-1}$ kpc, $N_{\rm SDSS}$ - number of galaxies in the SDSS sample, $N_{\rm sim}$ - number of simulated galaxies in the cosmological model, $f_{N=1}$ - fraction of simulated galaxies in $N = 1$ systems, $f_{N=2}$ - fraction of simulated galaxies in $N = 2$ systems, $f_{N>2}$ - number of simulated galaxies in $N > 2$ systems

Sample	Magnitude Limit	$D_N \ (h^{-1} \, {\rm kpc})$	N_{700}	$N_{\rm SDSS}$	$N_{\rm sim}$	$f_{N=1}$	$f_{N=2}$	$f_{N>2}$
$N = 1$	≤ -20	≥ 400	≤ 1	26,192	18,030	0.995	0.001	0.004
$N = 1$	≤ -19	≥ 400	≤ 1	7,266	37,309	0.999	0.000	0.000
$N = 2$	≤ -20	≤ 250	1	3,229	2,675	0.203	0.788	0.008
$N = 2$	≤ -20	≤ 200	1	2,549	2,276	0.144	0.848	0.007
$N = 2$	≤ -20	≤ 150	1	1,830	1,807	0.106	0.887	0.007
$N = 2$	≤ -19	≤ 250	1	1,096	5,634	0.369	0.629	0.002
$N = 2$	≤ -19	≤ 200	1	918	4,786	0.289	0.709	0.002
$N = 2$	≤ -19	≤ 150	1	721	3,769	0.199	0.799	0.002

$N = 1$ haloes, $f_{N=1}$, the fraction of $N = 2$ haloes, $f_{N=2}$, and the fraction of $N > 2$ haloes, $f_{N>2}$, for a maximum D_N of 250, 200, and $150 \, h^{-1}$ kpc for both luminosities. The $D_N \leq 200 \, h^{-1}$ kpc population is our fiducial $N = 2$ sample but we verify all results for the other two values.

A population of galaxies with a very high probability of being isolated in $N = 1$ systems results from selecting galaxies with $N_{700} \leq 1$ and $D_N \geq 400 \, h^{-1}$ kpc. The purity and contamination for this population for both luminosities are also listed in Table 1. Note that the $N = 1$ population defined in this way is very pure (99.5–99.9 per cent).

3.1 $N = 1$ and $N = 2$ systems in SDSS

Our goal is to identify pure samples of $N = 1$ and $N = 2$ galaxies in order to investigate the differences in their properties. We apply the selection criteria discussed in the previous section to a volume-limited samples of galaxies from the New York University Value-Added Galaxy Catalogue (NYU-VAGC, Blanton et al. 2005a) based on SDSS DR6 with $M_r - 5 \log_{10} h \leq -19 \, (-20)$. The volume-limited samples contain galaxies from the Main galaxy sample with an extinction-corrected apparent magnitude $r \leq 17.64$ in regions of redshift completeness greater than 0.8. The volume-limited sample with $M_r - 5 \log_{10} h \leq -19 \, (-20)$ contains 67,472 (107,327) galaxies.

First, we define a population of $N = 1$ galaxies from the volume-limited sample. For each galaxy in the volume-limited sample, we identify all other galaxies within $\Delta V \leq 1000 \, {\rm km \, s}^{-1}$ and compute D_N and N_{700}. We also compute the number of potential neighbours — galaxies in NYU-VAGC without a measured redshift but in the relevant magnitude range — within a projected distance of $700 \, h^{-1}$ kpc. A population of $N = 1$ galaxies is defined by selecting all galaxies with $N_{700} \leq 1$ and $D_N \geq 400 \, h^{-1}$ kpc and no potential neighbours. The SDSS $-19 \, (-20)$ $N = 1$ sample contains 7,266 (26,192) galaxies. The expected purity of this population is $f_{N=1} = 0.999 \, (0.995)$ with negligible amounts of contamination by $N = 2$ and $N > 2$ systems according to our mock volume-limited redshift survey (see Table 1).

A population of $N = 2$ galaxies is defined by selecting all galaxies with $N_{700} = 1$ and $D_N \leq 200 \, h^{-1}$ kpc and no potential neighbours. The SDSS $-19 \, (-20)$ $N = 2$ sample contains 918 (2,549) galaxies. The expected purity of this sample is $f_{N=2} = 0.709 \, (0.848)$ and the contamination is mostly from $N = 1$ systems, $f_{N=1} = 0.289 \, (0.144)$, according

to our cosmological model. The contamination by systems with $N > 2$, $f_{N>2} = 0.002 \, (0.007)$, is very small and we will only directly consider and correct the contamination by $N = 1$ systems. If instead we take the maximum D_N for the $N = 2$ sample to be 250 or $150 \, h^{-1}$ kpc, the sample then contains 1,096 (3,229) and 721 (1,830) galaxies, respectively. However, the contamination is higher for $250 \, h^{-1}$ kpc with $f_{N=1} = 0.369 \, (0.203)$ and lower for $150 \, h^{-1}$ kpc with $f_{N=1} = 0.199 \, (0.106)$.

The overall $N = 2$ population may be further divided into satellite and central galaxies. The satellite galaxy resides within a smaller subhalo, which has fallen into the larger host halo of the central galaxy. For each $N = 2$ pair, the less (more) luminous galaxy in M_r is selected as the satellite (central) galaxy.

3.2 Correction of $N = 2$ systems for contamination by $N = 1$ systems

In the previous section, we observed that $N = 2$ populations selected using our constraints on D_N and N_{700} are primarily contaminated by $N = 1$ systems. Using our mock volume-limited redshift survey, we quantified the levels of contamination and the results are listed in Table 1. Below we discuss our technique to statistically correct an $N = 2$ population for contamination by $N = 1$ systems.

Let $H_{N=2}(x)$ be the observed distribution of galaxy property x for an $N = 2$ population selected using constraints on D_N and N_{700}. The fraction of $N = 2$ systems in this population is $f_{N=2}$ and the fraction of $N = 1$ systems is $f_{N=1}$, as estimated from the mock volume-limited redshift survey. Thus,

$$H_{N=2}(x) = f_{N=1} * H_{N=1}^{\rm pure}(x) + f_{N=2} * H_{N=2}^{\rm pure}(x), \quad (1)$$

where $H_{N=i}^{\rm pure}(x)$ is the distribution for a pure $N = i$ population. We ignore the very small contamination by $N > 2$ systems. $N = 1$ populations selected by our constraints on D_N and N_{700} are $\gtrsim 99\%$ pure and $H_{N=1}^{\rm pure}(x)$ is known. The distribution for a pure $N = 2$ population may be approximated by

$$H_{N=2}^{\rm pure}(x) \approx \frac{H_{N=2}(x) - f_{N=1} * H_{N=1}^{\rm pure}(x)}{f_{N=2} + f_{N>2}}. \quad (2)$$

The satellite/central $N = 2$ populations are also contaminated by a population of $N = 1$ systems. The populations of $N = 1$ systems contaminating the satellite/central
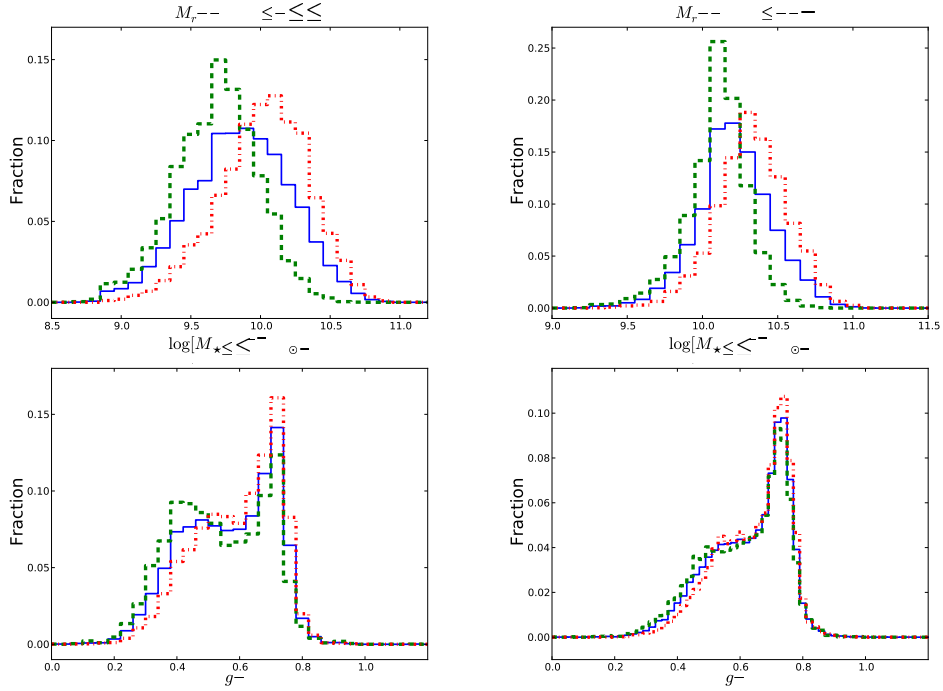
Figure 2. Stellar mass (top) and colour (bottom) distributions of the -19 (left) and -20 (right) $N = 1$ populations contaminating the overall (solid blue), satellite (dashed green), and central (dot-dashed red) $N = 2$ populations. Distributions are used with Equation (2) to correct the $N = 2$ populations for interloper systems.
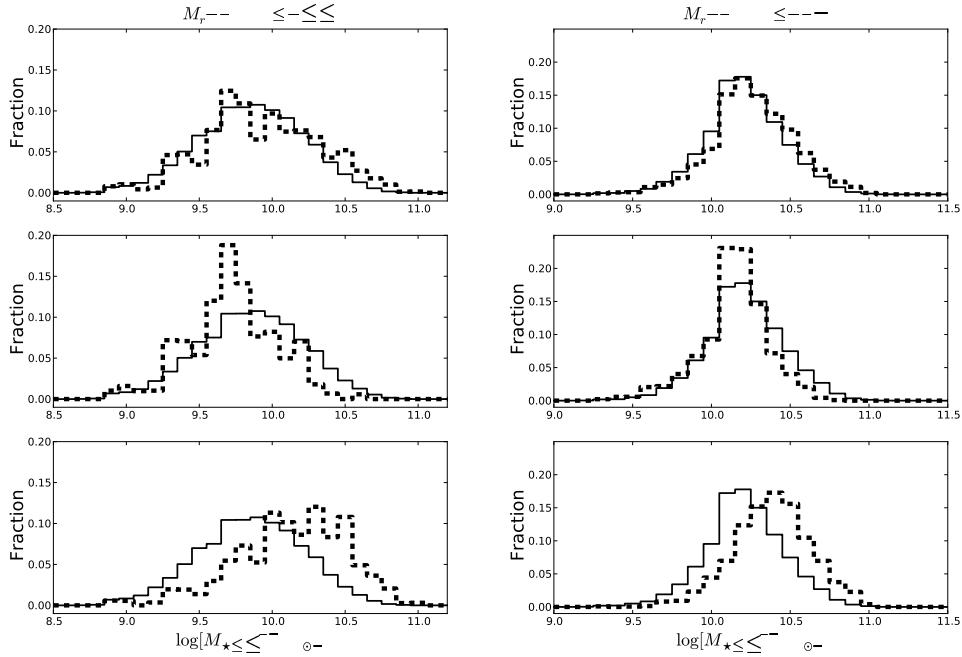

Figure 3. Contamination-corrected stellar mass distributions of the -19 (left) and the -20 (right) overall (top), satellite (middle), and central (bottom) $N = 2$ populations (dashed). Also shown is the stellar mass distribution of the full $N = 1$ population (solid) without Monte Carlo mass resampling. Without Monte Carlo mass resampling, differences in stellar mass contribute to difference in colour between $N = 1$ and $N = 2$ populations.

$N = 2$ populations are not the same as the population contaminating the overall $N = 2$ population. To apply Equation (2) to the satellite/central $N = 2$ populations, the appropriate distributions, $H_{N=1}^{\mathrm{pure,cen}}(x)$ and $H_{N=1}^{\mathrm{pure,sat}}(x)$, must be determined. When a system identified using our constraints on D_N and N_{700} is two $N = 1$ systems instead of an $N = 2$ pair, the less (more) luminous $N = 1$ galaxy is placed in the satellite (central) galaxy population. As a result, the $N = 1$ population contaminating the satellite (central) $N = 2$ population is less (more) luminous than the population contaminating the overall $N = 2$ population. We construct the $N = 1$ populations contaminating the satellite and central $N = 2$ populations from the $N = 1$ population contaminating the overall $N = 2$ population by first randomly choosing two galaxies within the full $N = 1$ population. The less (more) luminous galaxy is placed in the satellite (central) $N = 2$ contaminant population. This process is repeated 10,000 times. Figure 2 shows the stellar mass (top) and colour (bottom) distributions of the -19 (left) and -20 (right) $N = 1$ populations contaminating the overall (solid blue), satellite (dashed green), and central (dot-dashed red) $N = 2$ populations.

3.3 Stellar mass distribution and resampling

Here, we examine the stellar mass distribution of our $N = 2$ and $N = 1$ galaxy populations and discuss our procedure for resampling these populations to be of the same stellar mass. The stellar mass distributions of the -19 (left) and -20 (right) overall (top), satellite (middle), and central (bottom) $N = 2$ populations (dashed) are shown in Figure 3. These distributions are contamination-corrected using Equation (2) and the distributions shown in Figure 2. Also shown is the stellar mass distribution of the full $N = 1$ population (solid).

To determine the difference in colour due only to a difference in star formation activity between two galaxy populations, we must compare populations of the same stellar mass. From the stellar mass distributions, we see that satellite $N = 2$ galaxies have less stellar mass when compared to $N = 1$ galaxies, on average. On the other hand, central $N = 2$ galaxies have more stellar mass when compared to $N = 1$ galaxies, on average. Galaxies with higher stellar mass content tend to be redder in colour (Kauffmann et al. 2003). Thus, differences in the colour distributions of our $N = 2$ and $N = 1$ populations are in part due to differences in stellar mass as well as differences in star formation activity. We devise a Monte Carlo technique to resample the much larger $N = 1$ population, i.e. randomly selecting without replacement, subpopulations whose stellar mass distributions match the contamination-corrected $N = 2$ distributions shown in Figure 3. Using our Monte Carlo resampling, we can ensure that we are comparing two populations of the same stellar mass, which we quantify using the Kologorov-Smirnov (K-S) test using the function KOLO-MOGOROVSMIRNOVTEST in MATHEMATICA, and the differences in the colour distribution will only reflect differences in star formation activity. The K-S test probabilities when comparing the stellar mass of the -19 and -20 overall, satellite and central $N = 2$ populations to the full and resampled $N = 2$ populations are listed in Table 2 for one realisation of the Monte Carlo resampling. The resampled $N = 1$ pop-

Table 2. Kolmogorov-Smirnov test probabilities when comparing the stellar mass of various $N = 2$ populations with the full and resampled $N = 1$ populations

	Mag Limit:	−19	−19	−20	−20
	$N = 1$:	Full	Resamp.	Full	Resamp.
$N = 2$ Overall		0.002	0.984	0.000	0.969
$N = 2$ Satellites		0.000	0.993	0.000	0.889
$N = 2$ Central		0.000	0.920	0.000	0.537

ulations are clearly more like the various $N = 2$ populations in stellar mass than the full $N = 1$ population.

4 RESULTS

4.1 $N = 2$ colour distribution

The goal of this paper is to investigate the differences in the colour between $N = 1$ and $N = 2$ galaxies and determine their implications on star formation activity. We compare the $g - r$ colour of $N = 2$ populations with $N = 1$ populations resampled to have the same stellar mass to ensure that colour differences are only due to differences in star formation activity. NYU-VAGC magnitudes and colours are standard Petrosian magnitudes and colours (Petrosian 1976; Strauss et al. 2002) that are galactic extinction-corrected (Schlegel et al. 1998) and K-corrected by the template-fitting method of Blanton & Roweis (2007).

The contamination-corrected $g - r$ distributions of the -19 (left) and -20 (right) overall $N = 2$ populations (dashed) and the resampled $N = 1$ populations (solid) of the same stellar mass are shown in the top row of Figure 4. We separate galaxies into red (non-star-forming) and blue (star-forming) based on a cut in $g-r$ and measure the excess of red galaxies between the two populations. The difference between the red fractions of the $N = 2$ and $N = 1$ populations as a function of the $g - r$ value used to separate the red sequence and blue cloud is shown in the bottom row of Figure 4. A $g - r$ cut of 0.68 yields the maximum difference between the red fractions. This point corresponds to the "green valley" and we define a red galaxy to be a galaxy with $g - r \geq 0.68$ and a blue galaxy to be a galaxy with $g - r < 0.68$. This cut is shown as a vertical black line. The red excess is simply the difference between the two red fractions.

The $g-r$ distributions of the $N = 1$ populations shown in Figure 4 change as the subpopulations selected during our Monte Carlo resampling changes. Thus, the red excess is different for each Monte Carlo realisation. We generate 100 independent realisations of our Monte Carlo resampling technique and compute the red excess for each realisation. Taking the mean and standard deviation over all realisations, we find that the overall $N = 2$ population has a red excess of 0.05 ± 0.01 and 0.06 ± 0.01 for the -19 and -20 samples, respectively, relative to $N = 1$ populations of the same stellar mass. Thus, $N = 2$ galaxies are redder than $N = 1$ galaxies of the same stellar mass. The presence of just one other galaxy within the same dark matter halo is
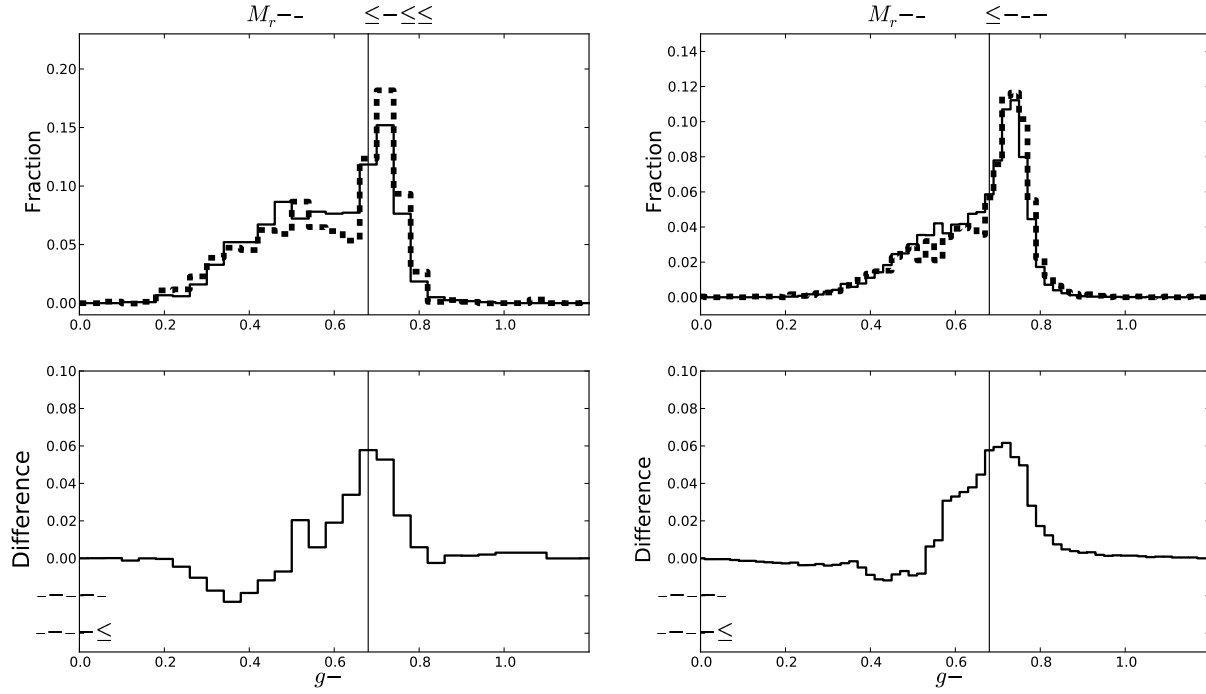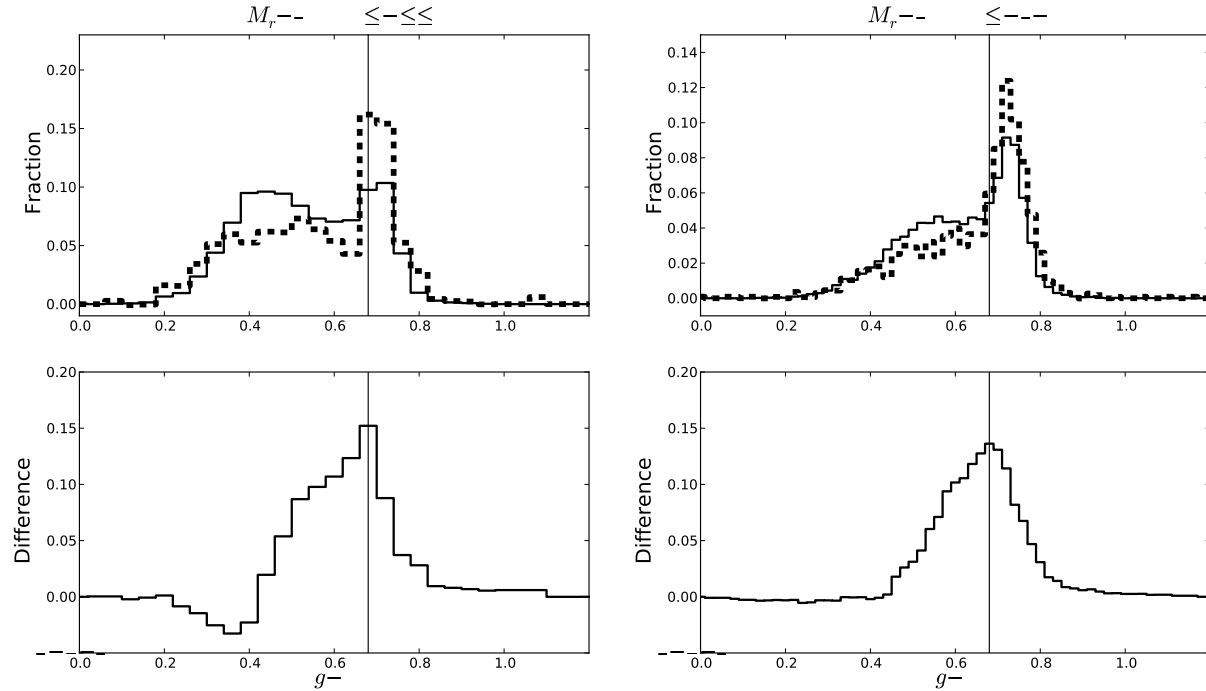
Figure 4. (Top) Contamination-corrected $g - r$ distribution of the -19 (left) and -20 (right) overall $N = 2$ population (dashed) and a resampled $N = 1$ population (solid) of the same stellar mass. (Bottom) Difference between red fractions of the -19 (left) and -20 (right) $N = 2$ and $N = 1$ populations as a function of the $g - r$ value used to separate the red sequence and blue cloud. Black vertical line shows our chosen red/blue separator value at $g - r = 0.68$ and the difference at this value is taken to be the red excess.

Figure 5. (Top) Contamination-corrected $g - r$ distribution of the -19 (left) and -20 (right) satellite $N = 2$ population (dashed) and a resampled $N = 1$ population (solid) of the same stellar mass. (Bottom) Difference between red fractions of the -19 (left) and -20 (right) satellite $N = 2$ and $N = 1$ populations as a function of the $g - r$ value used to separate the red sequence and blue cloud. Black vertical line shows our chosen red/blue separator value at $g - r = 0.68$ and the difference at this value is taken to be the red excess.

enough to suppress star formation and induce redder colours to a limited extent.

$N = 1$ and $N = 2$ systems are the simplest environments and one of the major advantages of studying such simple systems is that ΛCDM makes robust predictions for their histories. Tracking the merger histories in N-body simulations reveals that the differences in past major merger ($<$3:1) histories of $N = 1$ and $N = 2$ subhaloes are $\lesssim 1$ per cent (Stewart et al. 2008). Hence, mergers alone cannot account for the observed red excess and it is likely that an environmental process that quenches star formation is responsible for the observed red excess.

4.2   Satellite $N = 2$ red excess

We investigate the origins of the $N = 2$ red excess of the previous section by examining separately the satellite and central $N = 2$ galaxy populations. The contamination-corrected $g - r$ distributions of the -19 (left) and -20 (right) satellite $N = 2$ populations (dashed) and the resampled $N = 1$ populations (solid) of the same stellar mass are shown in the top row of Figure 5. The difference in the red fractions of the satellite $N = 2$ population and an $N = 1$ population of same stellar mass as a function red/blue separator value is shown in the bottom row of Figure 5. As before we select $g - r = 0.68$ as our red/blue separator value (shown by the black vertical line) and the red excess is the difference between the red fractions of the two populations.

As before for the overall $N = 2$ population, we generate 100 independent realisations of our Monte Carlo resampling technique and compute the red excess of the satellite $N = 2$ population relative to $N = 1$ populations of the same stellar mass for each realisation. Taking the mean and standard deviation over all realisations, which accounts for the variation in the red fraction of the $N = 1$ population, we find that satellite $N = 2$ populations have a red excess of 0.15 ± 0.01 and 0.14 ± 0.01 for the -19 and -20 samples, respectively, relative to $N = 1$ populations of the same stellar mass. In other words, 15 per cent of satellite $N = 2$ galaxies have transitioned from the blue to the red sequence due to star formation quenching after being accreted into another halo, assuming $N = 1$ galaxies are the progenitor of satellite $N = 2$ galaxies in a statistical sense.

Recent studies of satellite star formation quenching in galaxy groups reveal that quenching must occur over long time-scales of order 2–3 Gyr (Kang & van den Bosch 2008; van den Bosch et al. 2008; Weinmann et al. 2009; McGee et al. 2009, 2011). These authors suggest strangulation as the physical process at work in these systems. The hot halo gas of the infalling satellite galaxy is stripped (by ram-pressure or tides) and star formation slows as the cold gas is consumed. However, semi-analytic models show that instantaneous and complete removal of hot halo gas by ram-pressure stripping leads to a passive red fraction of satellite galaxies that is much higher than the observed fraction (Weinmann et al. 2006b; Kang & van den Bosch 2008; Kimm et al. 2009). This has lead some authors to simply decrease the stripping efficiency in their semi-analytic model (e.g. Font et al. 2008; Weinmann et al. 2010) or suggest tidal stripping of hot halo gas (Weinmann et al. 2010) to better match the observations.

However, strangulation of hot halo gas by any mech-

anism tends to produces too many galaxies in the green valley (Weinmann et al. 2010). Because of this Wetzel et al. (2012) do not support strangulation and point out that it is not clear that strangulation is efficient in low-mass haloes, such as the groups of two being studied here, as such haloes are not expected to have virial shock fronts which support hot, virialized gas within the halo (Dekel & Birnboim 2006). They also find a persistent specific star formation rate (sSFR) bimodality, i.e. the lack of galaxies in the green valley at all halo masses. Taken together, they argue that the satellite quenching mechanism must bring about a rapid transition from the blue cloud to the red sequence, which any form of hot halo gas strangulation struggles with. Ram-pressure stripping of cold gas is the natural quenching mechanism for a rapid blue to red transition. Although most estimates indicate that ram-pressure stripping is very inefficient in the low-mass haloes being studied here, Nichols & Bland-Hawthorn (2011) suggests that cold disc gas can be puffed up by internal star formation making the removal of cold gas by ram-pressure stripping possible even with a rarefied external medium of a low-mass halo.

Following the semi-analytic approach, we include a simple treatment of the removal of the cold gas from the infalling satellite galaxies (possibly by ram-pressure stripping) to our cosmological model. First, we consider an immediate-rapid quenching scenario where cold gas is removed instantaneously and completely immediately upon accretion. This is modelled using the population synthesis models of Bruzual & Charlot (2003) with a Chabrier (2003) initial mass function with model galaxies with exponentially decaying star formation rates with $\tau = 1 - 10$ Gyr. The infalling galaxy's star formation rate is set to zero when the galaxy reaches the "initial" $g - r$ value and we record the amount of time it takes to reach to the red sequence for each τ. Figure 6 shows the average time to reach the red sequence ($g - r \geq 0.68$) after star formation has stopped as a function of $g - r$ at accretion. The data points and error bars represent the mean and standard deviation over all values of τ.

Our analysis indicates that a galaxy with $g - r \sim 0.3$ will take an average of ~ 1.2 Gyr after accretion to reach the red sequence in the immediate-rapid quenching scenario. Any galaxy with $g - r > 0.3$ will take less time. From the means and standard deviations in Figure 6 we generate 100 realisations of the transition time, $t_{\text{transition}}(g - r)$, for all $g - r$ bins between 0.3 and 0.68 by drawing from random distributions with the appropriate mean and standard deviation and then interpolating.

Next, we determine the transition fraction, $f_{\text{transition}}(g - r)$, for all $g - r$ bins between 0.3 and 0.68. In the immediate-rapid quenching scenario this is simply the fraction that have been within their host halo for at least the transition time computed above. The distribution of time spent in host halo for satellite galaxies in our cosmological model, $f(t)$, is shown in the top panel of Figure 7. The bottom panel shows the right cumulative distribution, $F(t) = \sum_{t' \geq t} f(t')$, or the fraction that have been within their host halo for at least t Gyr. The transition fraction is given by $f_{\text{transition}}(g - r) = F(t_{\text{transition}}(g - r))$ and is computed for each $g - r$ bin between 0.3 and 0.68 for each realisation. The satellite galaxies in our cosmological model have $N_{700} = 1$, $D_N \leq 200 \, h^{-1}$ kpc, and $N = 2$. They
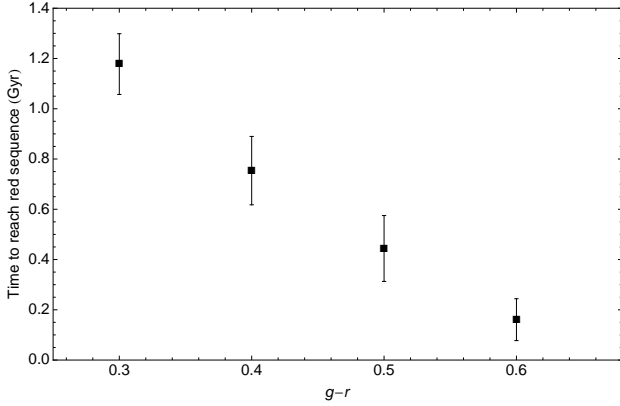
Figure 6. Time required to reach the red sequence after star formation stops (instantaneous and complete removal of cold gas) according to the population synthesis models of Bruzual & Charlot (2003) using model galaxies with exponentially decaying star formation rates with τ =1-10 Gyr. Data points and error bars represent the mean and standard deviation over all values of τ.

are distinguished from central galaxies by a host/satellite flag tabulated in the catalog. We compute the look-back time at accretion for each satellite halo from the scale factor of the universe at accretion using $\Omega_m = 0.3$, $\Omega_\Lambda = 0.7$, $h = 0.7$.

To predict the red excess, we require the transition fraction estimated above and the $g - r$ distribution of a population of $N = 1$ galaxies that become satellite $N = 2$ galaxies. There is no reason to assume that $N = 1$ galaxies of a particular colour are more likely to become a satellite $N = 2$ galaxy. The $g - r$ distribution of this population should be identical to the $N = 1$ population distribution shown in Figure 5, $H_{N=1}(g - r)$. The red excess is then given by

$$\text{red excess} = \left\langle \sum H_{N=1}(g - r) * f_{\text{transition}}(g - r) \right\rangle, \quad (3)$$

where the summation is over the range $0.3 \leq g - r < 0.68$ and the average is over all 100 independent realisations. Our immediate-rapid quenching model predicts a red excess of 0.62 ± 0.01 for the -19 sample and 0.54 ± 0.01 for the -20 sample. The errors are taken to be the standard deviation over all 100 realisations. The red excess predictions of our immediate-rapid quenching model exceeded the value observed in the NYU-VAGC DR6 samples by a factor of ~ 4.

While Wetzel et al. (2012) argue that the quenching mechanism must be rapid, it does not need to occur immediately upon accretion, i.e. a delayed-then-rapid scenario. We can easily model such a scenario by including a delay time before truncating star formation in our model galaxies. The time to reach the red sequence (see Figure 6) becomes $t_{\text{transition}} \rightarrow t_{\text{transition}} + t_{\text{delay}}$. As the transition times get longer, the transition fractions decrease and the computed red excess decreases. The red excess predicted from the model as a function of star formation quenching delay time is shown in Figure 8. A delay time of ~ 3.3 and 3.7 Gyr predicts a red excess in agreement with the observations for the -19 and -20 samples, respectively.

A few caveats should be mentioned regarding the results above. Our observational result indicates that present-day satellite $N = 2$ galaxies have a higher red fraction than
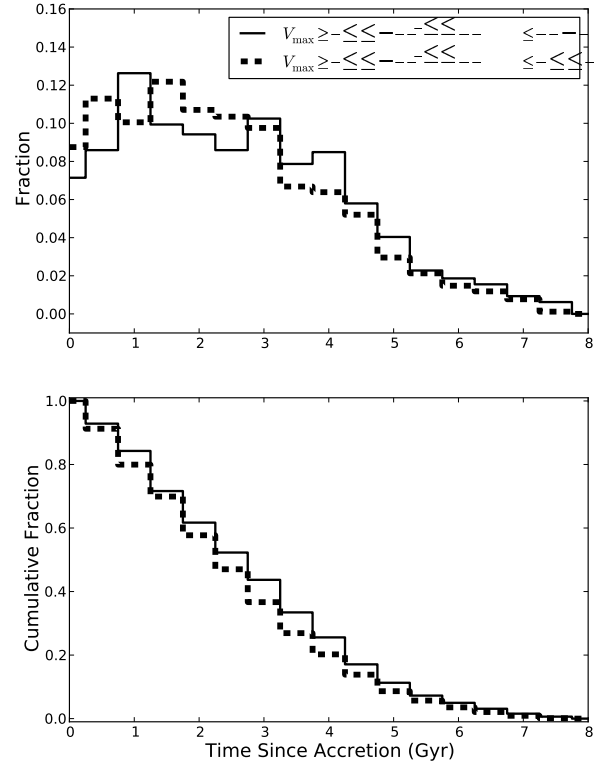

Figure 7. Time spent within host halo for simulated satellite $N = 2$ galaxies with $V_{\text{max}} \geq 196 \, \text{km s}^{-1}$ (solid) and $V_{\text{max}} \geq 140 \, \text{km s}^{-1}$ (dashed) in our hybrid N-body/semi-analytic cosmological model.
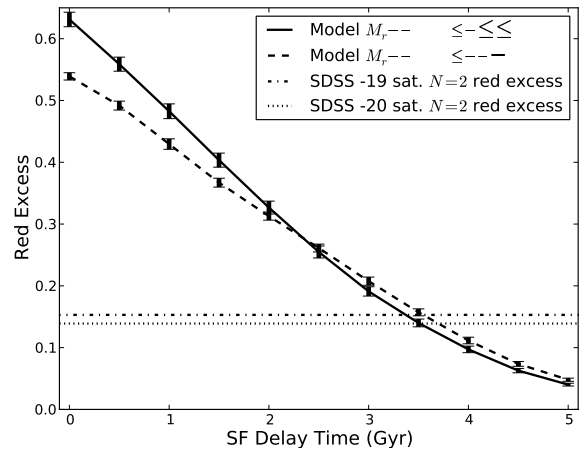

Figure 8. Expected red excess of satellite $N = 2$ galaxies as a function of the delay time in star formation quenching when the satellite is accreted into another halo for a -19 (solid) and -20 (dashed) mock redshift survey based on a model using the population synthesis models of Bruzual & Charlot (2003) and our hybrid N-body/semi-analytic cosmological simulations. Also shown are the observed satellite $N = 2$ red excess for the -19 (dot-dashed) and -20 (dotted) SDSS samples. Error bars represent the 1σ variation due to different star formation histories in the Bruzual & Charlot (2003) models.
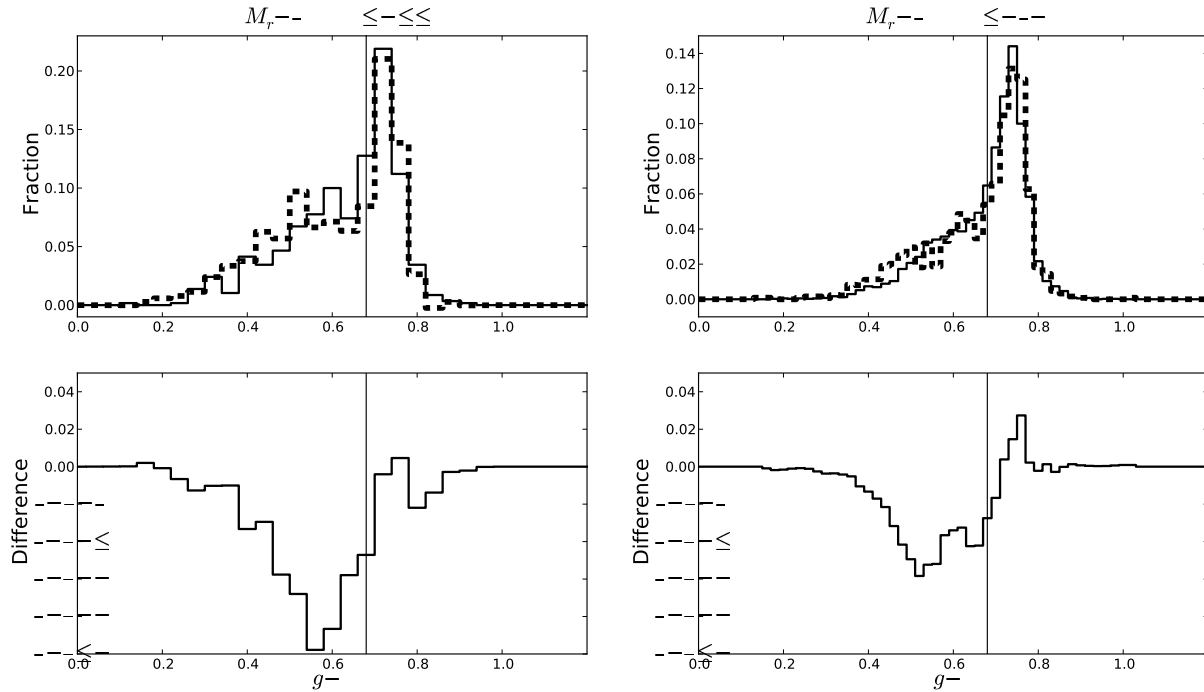
Figure 9. (Top) Contamination-corrected $g - r$ distribution of the -19 (left) and -20 (right) central $N = 2$ population (dashed) and a resampled $N = 1$ population (solid) of the same stellar mass. (Bottom) Difference between red fractions of the -19 (left) and -20 (right) central $N = 2$ and $N = 1$ populations as a function of the $g - r$ value used to separate the red sequence and blue cloud. Black vertical line shows our chosen red/blue separator value at $g - r = 0.68$ and the difference at this value is taken to be the red excess.

present-day $N = 1$ galaxies of the same stellar mass. In our immediate-rapid quenching model and delay-then-rapid quenching model, we use a *present-day* $N = 1$ population to predict the red excess of *present-day* satellite $N = 2$ galaxies assuming the former are representative of the progenitors of the latter. Ideally, we would have used an $N = 1$ population at the average redshift of accretion of satellite $N = 2$ galaxies instead of the present-day population. From Figure 7, satellite $N = 2$ galaxies have been within their host haloes for 2.3 and 2.6 Gyr on average for the -19 and -20 samples, respectively. The average redshift of SDSS galaxies is $z \sim 0.1$. Thus, we should be using an $N = 1$ population at $z \sim 0.32$ and 0.34 for the -19 and -20 samples, respectively (see McGee et al. 2011). van den Bosch et al. (2008) also compared two present-day galaxy population while assuming one population was representative of the progenitors of the other. Following their arguments we do not expect significant evolution in the red fraction of $N = 1$ galaxies at low redshifts and any evolution is probably towards lower red fractions at higher redshifts. As such, our model estimates are actually lower limits.

Another assumption made in our simple model is that the orbits of infalling satellites are identical for satellites that are red or blue at accretion. If satellites that are red at accretion are biased towards particular orbits, then the distribution of time spent within the host halo may differ from that shown in Figure 7 and our red excess estimates will be affected. It is difficult to tell whether the red excess estimates would be larger or smaller without "a priori" information on which orbits red satellites prefer.

Finally, in this preliminary study we have treated

gas removal as instantaneous and complete and we have not included AGN feedback in contrast to more sophisticated semi-analytic galaxy formation models such as Kang & van den Bosch (2008), Font et al. (2008) and Weinmann et al. (2010). Nevertheless, our delay-then-rapid model produces a star formation truncation time after accretion that is similar to the 3 Gyr reported by McGee et al. (2011) based on Font et al. (2008). In future work, we will studies of the properties of groups of two galaxies in considerably more depth and address the short-comings of our simple semi-analytic model in order to gain a more thorough understanding of the process(es) at work in the simplest galaxy groups.

4.3 Central $N = 2$ blue excess

In the previous section we explored our satellite $N = 2$ populations; we turn our attention to our central $N = 2$ populations here. The contamination-corrected $g - r$ distributions of the -19 (left) and -20 (right) central $N = 2$ populations (dashed) and the resampled $N = 1$ populations (solid) of the same stellar mass are shown in the top row of Figure 9. The difference in the red fractions of the central $N = 2$ population and an $N = 1$ population of the same stellar mass as a function of the $g - r$ value used to separate the red sequence and blue cloud is shown in the bottom row of Figure 9. As before we select $g - r = 0.68$ as our blue/red separator value (shown by the black vertical line) and the red excess is the difference in the red fractions of the two populations. For central $N = 2$ populations we find a blue excess of 0.06 ± 0.02 and 0.02 ± 0.01 for the -19 and
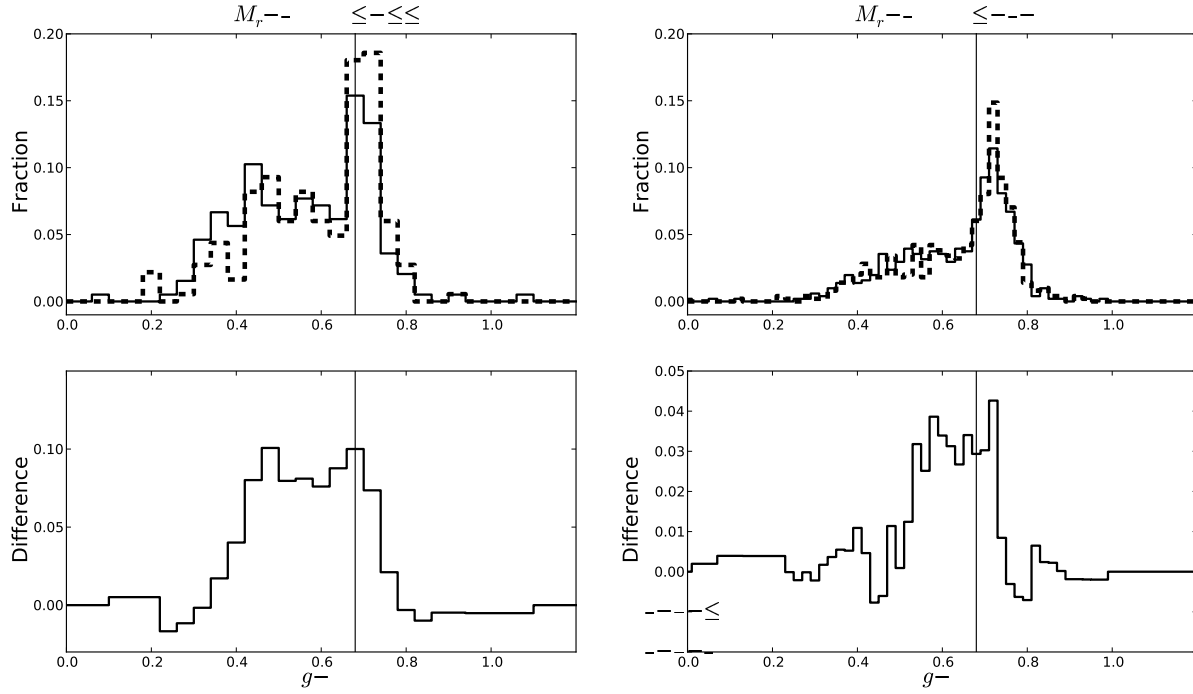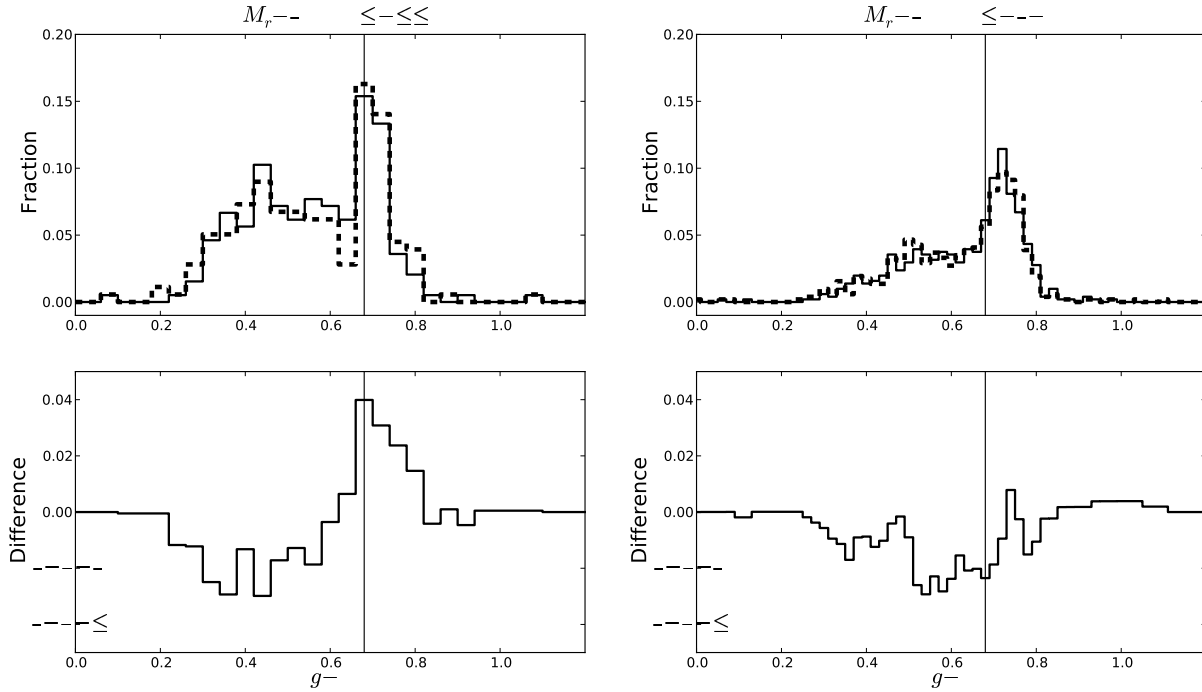
Figure 10. (Top) $g - r$ distribution of a -19 (left) and -20 (right) satellite $N = 2$ population (dashed) with a red central galaxy and a $N = 1$ population (solid) of the same stellar mass from one realisation of our Monte Carlo resampling technique. (Bottom) Difference between red fractions of the -19 (left) and -20 (right) satellite $N = 2$ population with a red central and an $N = 1$ population of the same stellar mass as a function of the $g - r$ value used to separate the red sequence and blue cloud. Black vertical line shows our chosen red/blue separator value at $g - r = 0.68$ and the difference at this value is taken to be the red excess.

Figure 11. (Top) $g - r$ distribution of a -19 (left) and -20 (right) satellite $N = 2$ population (dashed) with a blue central galaxy and a $N = 1$ population (solid) of the same stellar mass from one realisation of our Monte Carlo resampling technique. (Bottom) Difference between red fractions of the -19 (left) and -20 (right) satellite $N = 2$ population with a blue central and an $N = 1$ population of the same stellar mass as a function of the $g - r$ value used to separate the red sequence and blue cloud. Black vertical line shows our chosen red/blue separator value at $g - r = 0.68$ and the difference at this value is taken to be the red excess.

-20 samples, respectively, relative to $N = 1$ populations of the same stellar mass from mean and standard deviation of 100 independent realisations of our Monte Carlo resampling technique. Thus, for our chosen red/blue separator, central galaxies in a group of two are bluer than isolated galaxies of the same stellar mass.

The red excess in satellite galaxies is likely due to star formation suppression from gas loss. The gas that is lost by the satellite may be fed directly to the central, triggering star formation. This transfer could explain the observed blue excess in centrals. To investigate this hypothesis further, we examine satellite galaxies that are paired with red (blue) central galaxies and compare them with the overall satellite population. We begin by considering the stellar mass distributions of the three satellite populations: all satellites, satellites with a red central, and satellites with a blue central. These distributions are not contamination-corrected using Equation (2) because we do not know the appropriate distributions for correction. The three satellite populations are resampled to be of the same stellar mass using our Monte Carlo resampling technique and we generate 100 independent realisations.

For each realisation, we compute the $g - r$ distribution and red fraction for all three satellite populations. Figures 10 and 11 show the results for satellites with a red and blue central, respectively, compared to the overall satellite population for one realisation. The red excess of the satellite population with a red (blue) central galaxy relative to the overall satellite population is computed for each realisation. From the mean and standard deviation over all realisations, satellites with a red central have a red excess of of 0.05 ± 0.03 and 0.02 ± 0.02 for the -19 and -20 samples, respectively, relative to the overall satellite population of the same stellar mass. Similarly, the population of satellites with a blue central have a blue excess of 0.00 ± 0.03 and 0.03 ± 0.02 for the -19 and -20 samples, respectively, relative to the overall satellite population of the same stellar mass. In other words, red satellites slightly tend to pair with red centrals and blue satellites slightly tend to pair with blue centrals and "galactic conformity" (Weinmann et al. 2006a) is somewhat present even in groups of two. However, we conclude from this analysis that direct gas exchange between the satellite and central is not a likely cause of the central blue excess.

Triggered star formation from a close satellite pass (e.g. Mihos & Hernquist 1996; Barton et al. 2007) could also explain the observed blue excess in centrals. To test this hypothesis, we divide the central $N = 2$ population into a sample with satellite separations $\lesssim 100\, h^{-1}$ kpc and another with satellite separations $\gtrsim 100\, h^{-1}$ kpc. This satellite separation value divides the central population into two nearly equal sized subsamples. The subsample with the closer satellites contains a red excess of 0.08 ± 0.05 and blue excess of 0.03 ± 0.03 for the -19 and -20 samples, respectively, relative to the subsample with wider satellite separations. Here, the errors are simply Poisson errors. We do not find that the central population with closer satellites to be bluer than the population with wider satellite separations. Hence, triggered star formation from a close pass is not a likely cause of the central blue excess either.

Lastly, we note that the central blue excess could also result because galaxies with satellites are also more likely to be actively accreting cold gas (see Kereš et al. 2009, and

references therein), which is usually associated with larger-scale filamentary over-densities in galaxy position. However, we have no means of directly testing this scenario presently and we do not attempt to substantiate any further.

5 CONCLUSION

In this paper, we have used a ΛCDM cosmological model of structure formation to devise a method for selecting galaxies in that are isolated in their dark matter halo ($N = 1$ system) and galaxies sharing their dark matter halo with exactly one neighbour ($N = 2$ systems) based on D_N, the comoving projected distance to the nearest neighbour within $\Delta V \leq 1000\,\mathrm{km\,s^{-1}}$ and N_{700}, the total number of galaxies within a comoving projected distance of $700\, h^{-1}$ kpc within $\Delta V \leq 1000\,\mathrm{km\,s^{-1}}$. Our cosmological model enables us to understand and correct for the contamination by galaxies in other environments allowing us to study the full, uncontaminated distributions of star-forming and morphological parameters instead of just the average trends. Using a Monte Carlo resampling technique, we construct populations of isolated galaxies and groups of two galaxies with the same stellar mass distribution. Comparing the $g - r$ colours of these populations gives a pure measurement of the difference in star formation activity between isolated galaxies and galaxies in a group of two, which is the simplest group environment and the simplest change in galactic environment. We find the following:

(i) If galaxies are separated into a red sequence ($g - r \geq 0.68$) and blue cloud ($g - r < 0.68$), $N = 2$ systems have a red excess of 0.05 ± 0.01 and 0.06 ± 0.01 for the -19 and -20 samples, respectively, relative to $N = 1$ systems of the same stellar mass. Thus, the presence of just one other galaxy in the same dark matter halo is enough to quench star formation to a limited extent.

(ii) Examining the less luminous member, satellite $N = 2$ galaxies have a red excess of 0.15 ± 0.01 and 0.14 ± 0.01 for the -19 and -20 samples, respectively, relative to $N = 1$ galaxies of the same stellar mass.

(iii) An immediate-rapid star formation quenching scenario, where the cold gas of the infalling satellite galaxy is instantaneously and completely removed immediately upon accretion yields a red excess prediction of 0.62 ± 0.01 and 0.54 ± 0.01 for the -19 and -20 samples, respectively. Thus, an immediate-rapid star formation quenching scenario is inconsistent with the observations.

(iv) A delayed-then-rapid star formation quenching scenario, as suggested by Wetzel et al. (2012), with a delay time of ~ 3.3 and 3.7 Gyr for the -19 and -20 samples, respectively, yields a red excess prediction in agreement with the observed red excess for satellite $N = 2$ galaxies relative to $N = 1$ galaxies of the same stellar mass.

(v) Examining the more luminous member, central $N = 2$ galaxies have a blue excess of 0.06 ± 0.02 and 0.02 ± 0.01 for the -19 and -20 samples, respectively, relative to $N = 1$ galaxies of the same stellar mass.

(vi) Satellite $N = 2$ galaxies with a red central have a red excess of 0.05 ± 0.03 and 0.02 ± 0.02 for the -19 and -20 samples, respectively, relative to the overall satellite population of the same stellar mass. Satellite $N = 2$ galaxies with a blue central have a blue excess of 0.00 ± 0.03 and

0.03 ± 0.02 for the -19 and -20 samples, respectively, relative to the overall satellite population of the same stellar mass. Thus, red satellites slightly tend to pair with red centrals and blue satellites slightly tend to pair with blue centrals demonstrating that galactic conformity somewhat present even in groups of two galaxies. However, the central blue excess cannot be explained by a simple direct exchange of gas between the satellite and central.

(vii) Central $N = 2$ galaxies whose satellite separation is $\lesssim 100 \, h^{-1}$ kpc have a red excess of 0.08 ± 0.05 and blue excess of 0.03 ± 0.03 for the -19 and -20 samples, respectively, relative to central $N = 2$ galaxies with satellite separations $\gtrsim 100 \, h^{-1}$ kpc. Thus, triggered star formation from a close pass is unlikely to cause the observed central blue excess. The central blue excess may be due to cold flows.

Our most significant result in this preliminary study is that present-day satellite galaxies in a group of two have a higher red fraction compared to present-day isolated galaxies of the same stellar mass. Thus, star formation quenching of satellite galaxies by the yet undetermined dominant group process occurs even in the simplest group environment where there are no other neighbours and galaxy-galaxy interactions with the central galaxy are unlikely. Taken together with our other results, we have demonstrated that environmental processes strongly influence even the sparsest groups of luminous galaxies. Further investigation of the star formation rate, AGN fraction, age, metallicity and concentrations of these simple systems and direct comparisons with predictions from ΛCDM and high-resolution hydrodynamical simulations will help undercover the causes of the trends seen here and contribute significantly towards a comprehensive understanding of galaxy evolution.

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